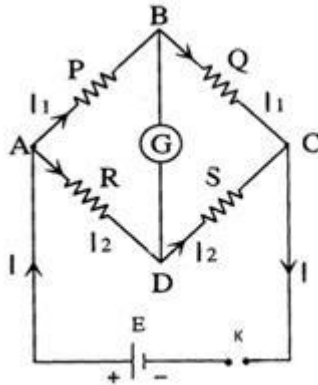


Determination of specific resistance of the material of a wire by meter bridge (length and diameter of the wire to be supplied)

Our Objective:

To find the resistance of a given wire using a meter bridge and hence determine the specific resistance of its material of the wire.

Theory:- **Wheatstone bridge principle**



The meter bridge operates following Wheatstone bridge principle. Here, four resistors P, Q, R, and S are connected to form the network ABCD. The terminals A and C are connected to a battery, and the terminals B and D are connected to a galvanometer. In the balancing condition, there is no deflection on the galvanometer. Then,

$$\frac{P}{Q} = \frac{R}{S}$$

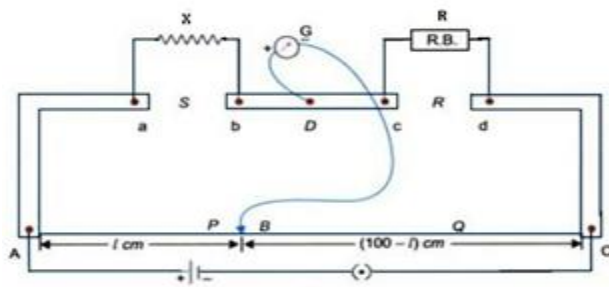
Bridge apparatus

The bridge, also known as the slide wire bridge consists of a one long wire of uniform cross sectional area, fixed on a wooden block. A scale is attached to the block. Two gaps are formed on it by using thick metal strips in order to make the Wheat stone's bridge. The terminal B between the gaps is used to connect galvanometer and jockey.

A resistance wire is introduced in gap S and the resistance box is in gap R. One end of the galvanometer is connected to terminal D and its other end is connected to a jockey. As the jockey slides over the wire AC, it shows zero deflection at the balancing point (null point).

If the length AB is l , then the length BC is $(100-l)$.





Then, according to Wheatstone bridge principle;

$$\frac{X}{R} = \frac{l}{(100 - l)}$$

Now, the unknown resistance can be calculated as,

$$X = R \frac{l}{(100 - l)}$$

Experimental Result:- Length of the wire (L) = _____ cm.
 Diameter of the wire (D) = _____ cm.

To find the resistance of the given wire:

Table

| No. Obs | Resistance R (Ω) | Resistance wire in left gap | | | Resistance wire in the right gap | | | Mean, $X = \frac{X_1 + X_2}{2}$ (Ω) |
|------------|------------------------------|------------------------------------|--------------------------------|--|---|--------------------------------------|--|--|
| | | Balancing length, AB =l (cm) | Length, BC =(100-l) (cm) | $X_1 = \frac{Rl}{(100 - l)}$ (Ω) | Balancing length, A'B' = l' (cm) | Length, B'C' =(100-l') (cm) | $X_2 = \frac{Rl'}{(100 - l')}$ (Ω) | |
| 1 | | | | | | | | |
| 2 | | | | | | | | |
| 3 | | | | | | | | |
| 4 | | | | | | | | |
| 5 | | | | | | | | |

The specific resistance or resistivity of the material of the wire can be then calculated by using the relation,

$$\rho = \frac{\pi r^2 X}{L};$$

Where, L be the length of the wire and r be its radius.



REMARKS

- a) Current in the circuit should not be too high. Resistance may change due to Heating effect.
- b) If the pointer of Ammeter or Voltmeter is deflected in the reverse direction, then the polarity of the cell should be interchanged.
- c) Tapping key should not be closed for a long time. It may cause heating effect.
- d) Ammeter is to be connected in series but Voltmeter in parallel.

Learning Outcomes:

- Students understand Wheatstone bridge and Wheatstone bridge principle.
- Students verify Wheatstone bridge principle.
- Students correlate the principle of Wheatstone bridge with bridge experiment.

